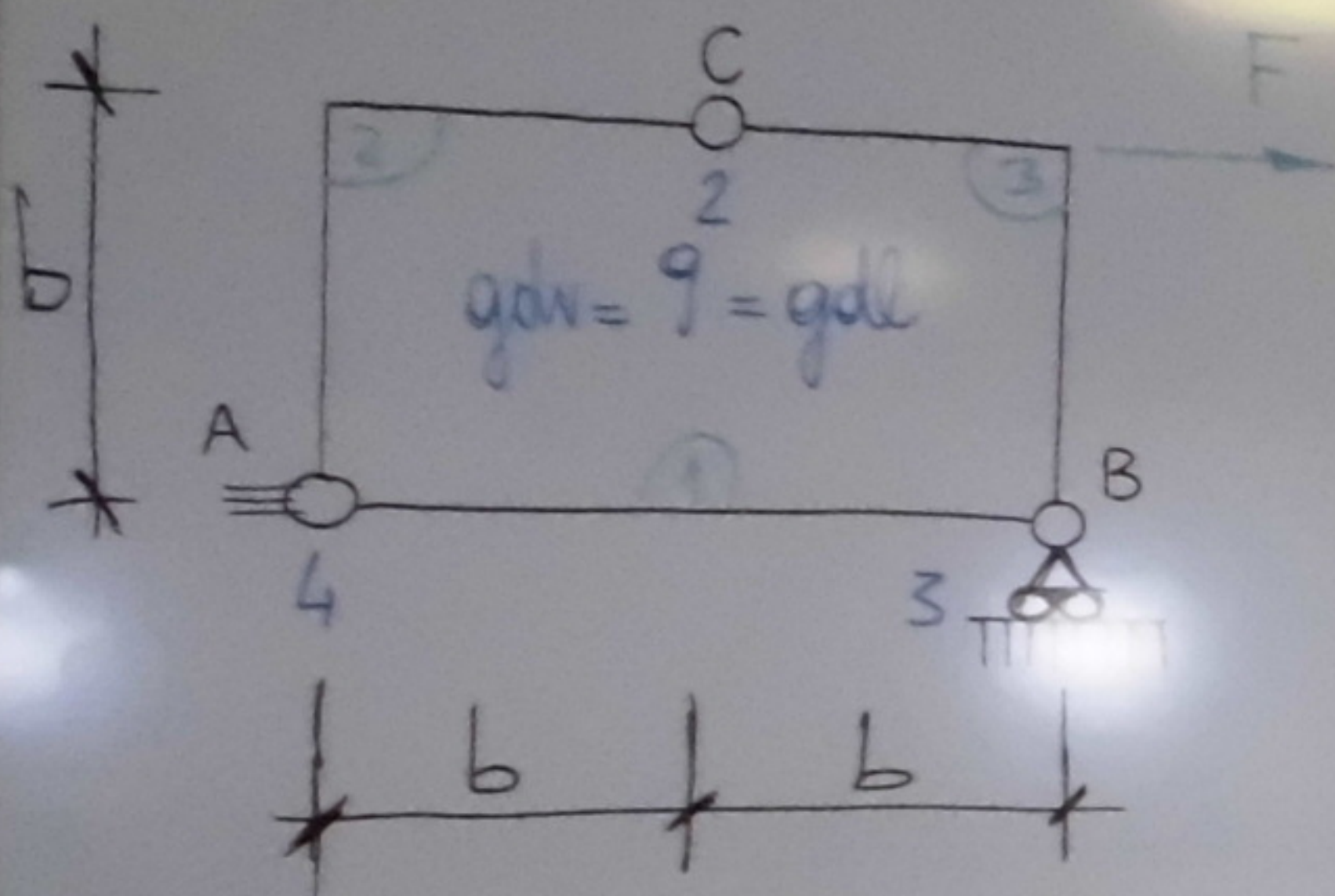
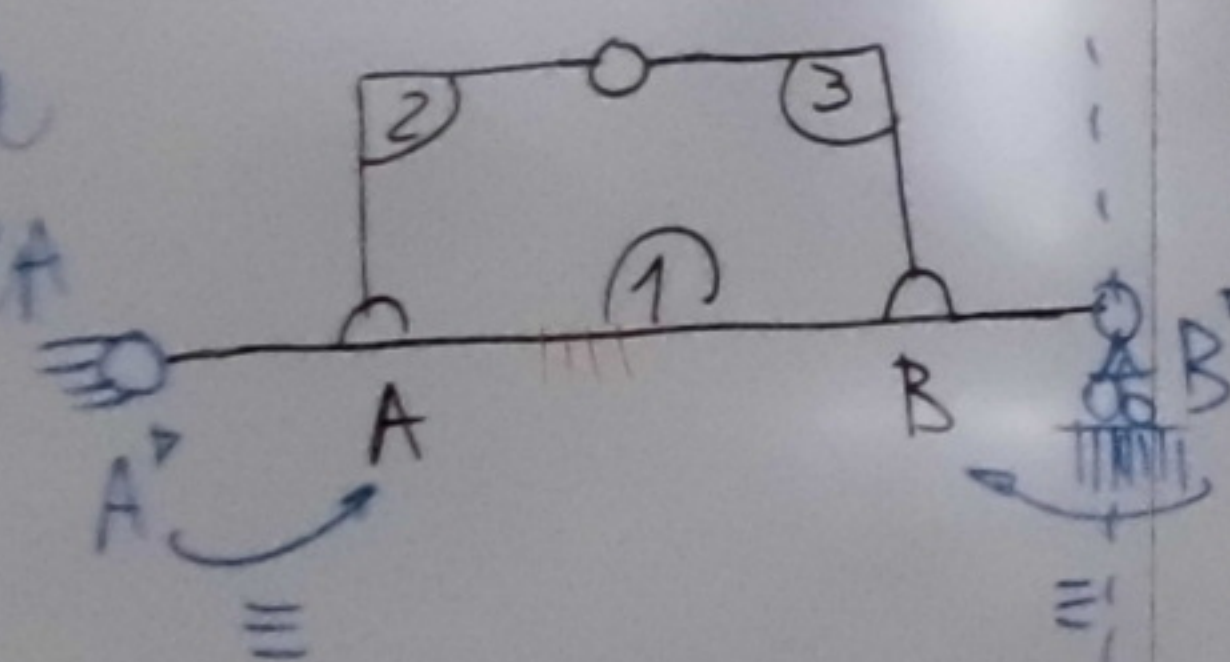


# Calcolo RV sistemi articolati

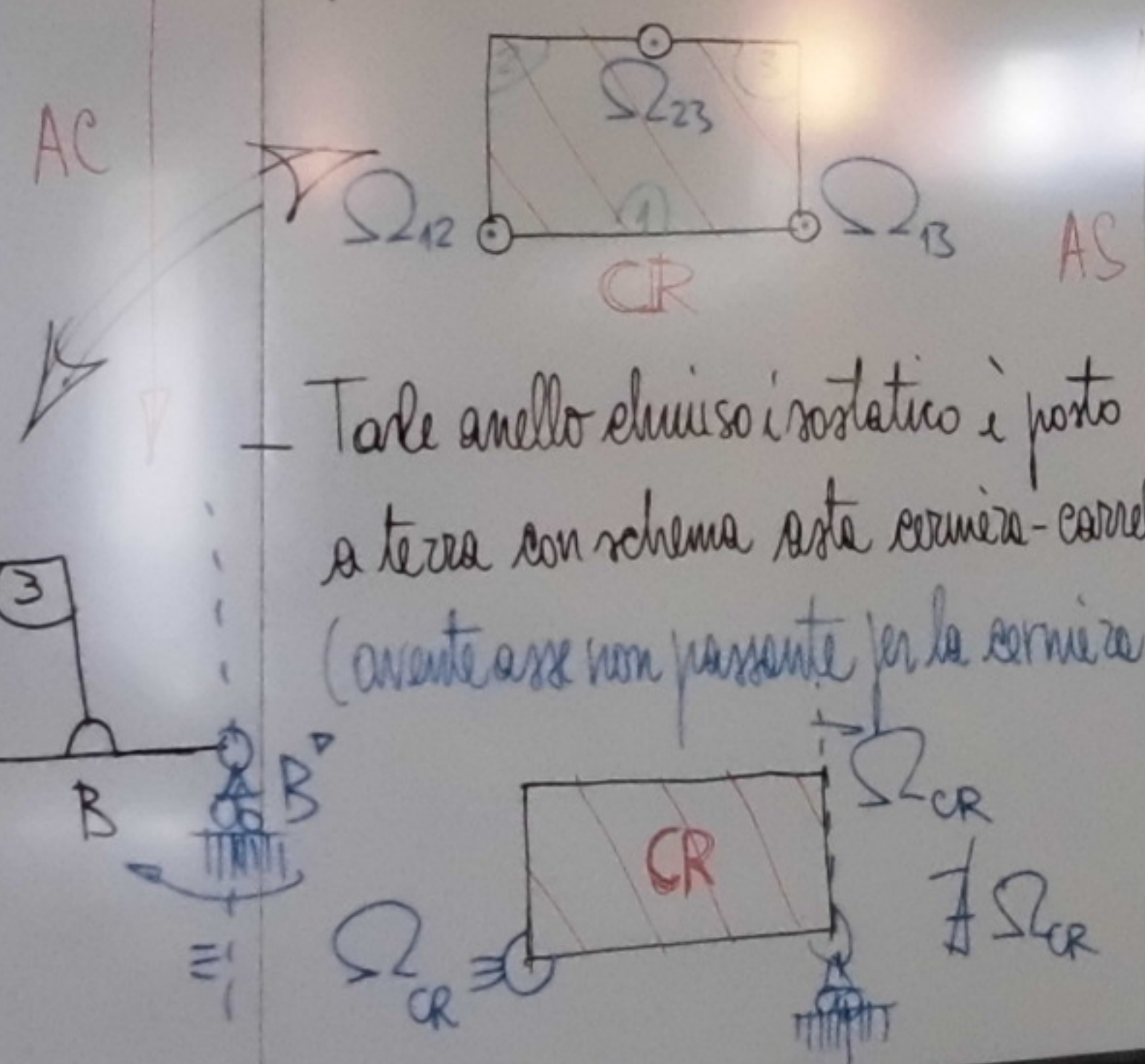


non labile  
ISOSTATICA



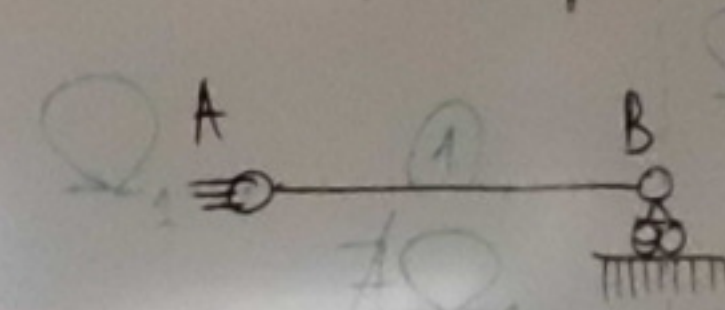
## AC (due soluzioni alternative):

- ① - Anello chiuso isostatico ABC, con tre cerniere interne non allineate, equiv. ad un unico CR

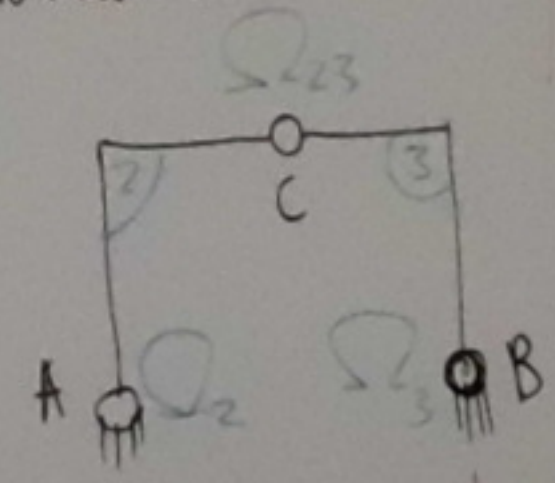


Tale anello chiuso isostatico è posto a terra con schema asta cerniera-carrello (avente asse non passante per la cerniera)

- ② - Asta cerniera-carrello avente asse non passante per la cerniera

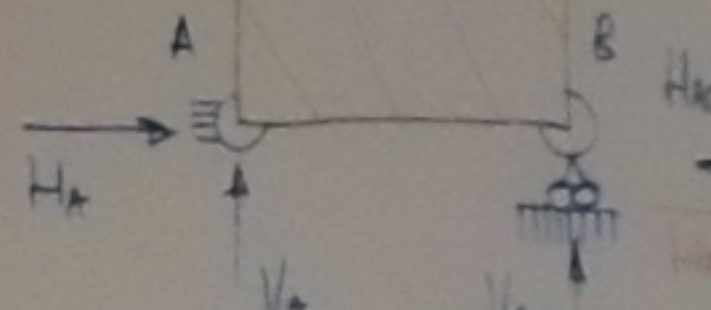


Arco a tre cerniere non allineate

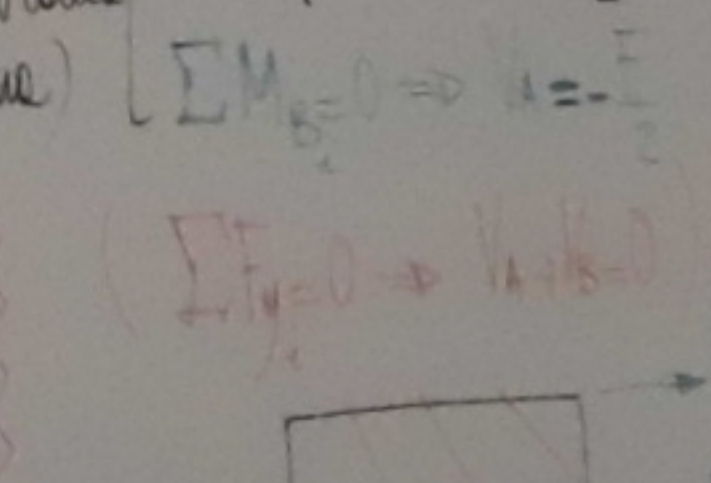


## AS (secondo sequenza inversa)

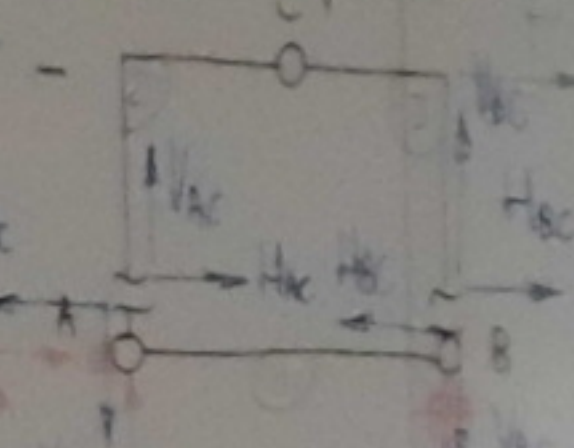
- ① -



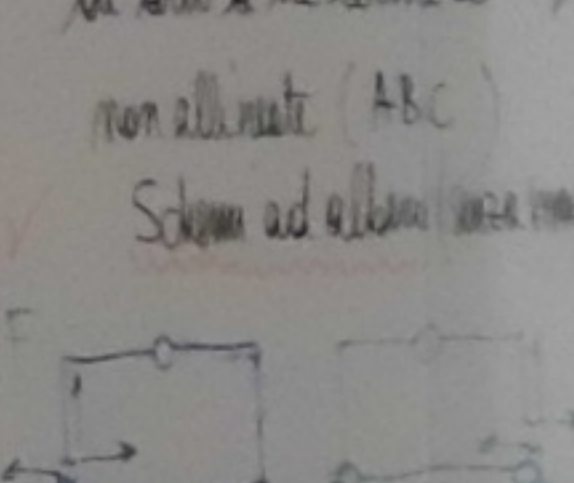
Arco a tre cerniere non allineate



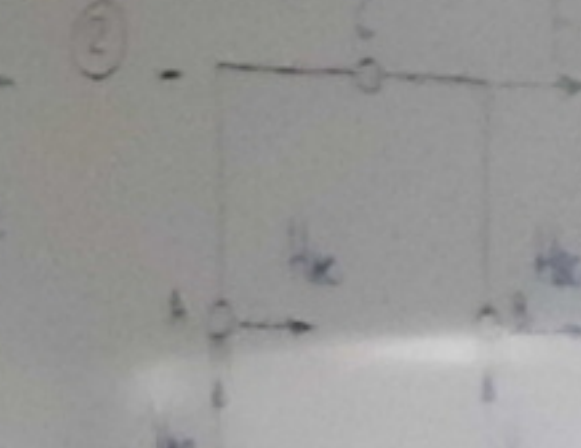
attenzione all'angolo formato dalle cerniere



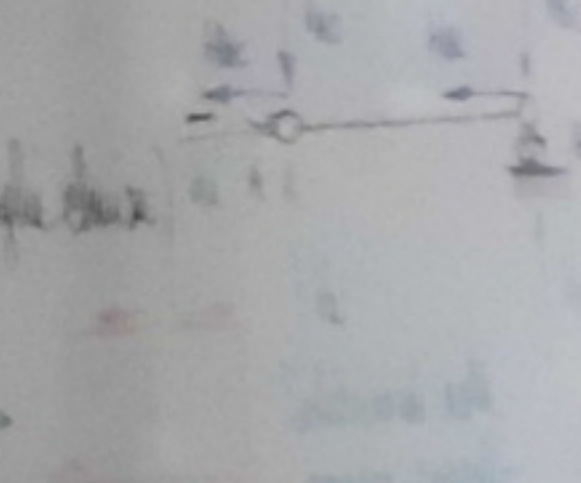
Ciò conduce alla verifica di una a tre cerniere non allineate (ABC)



Soluzioni di una a tre cerniere non allineate

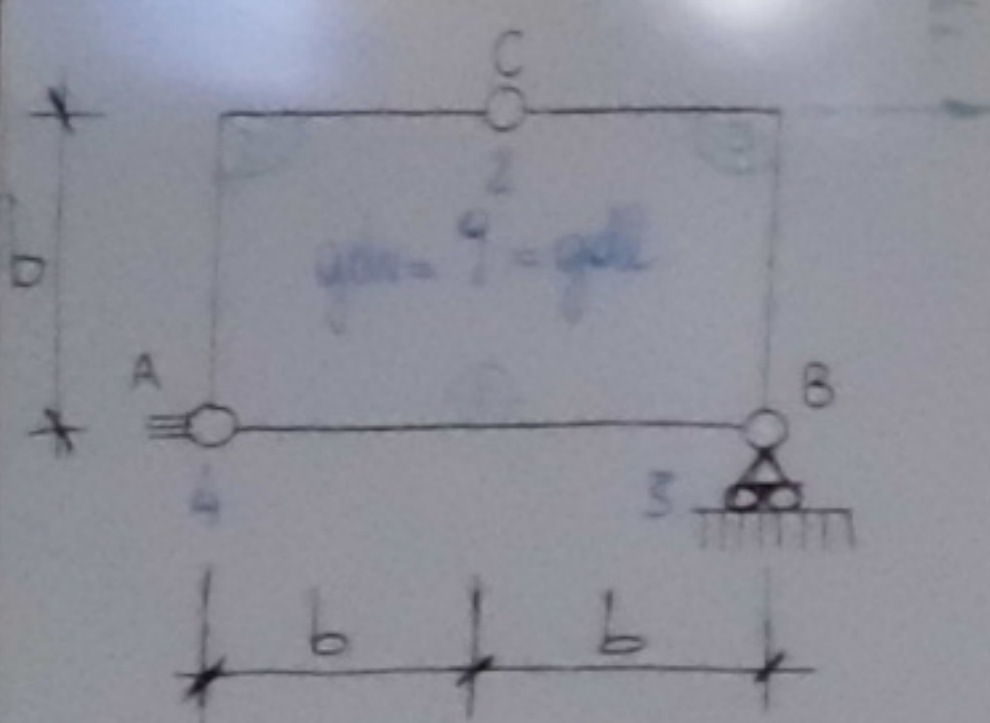


Soluzioni di una a tre cerniere non allineate

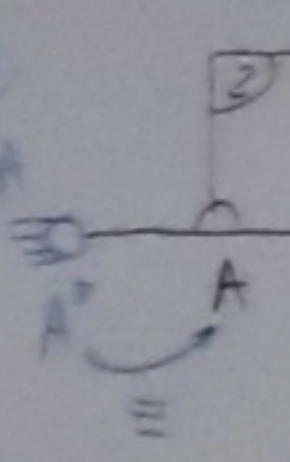




# Calcolo RV sistemi articolati

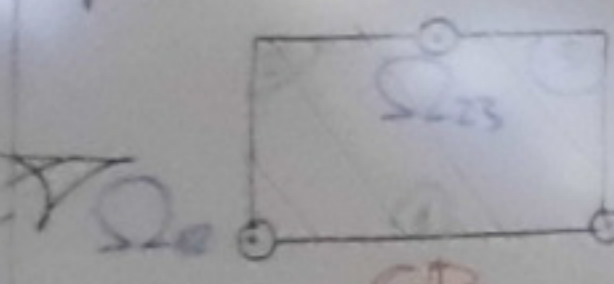


un labile  
statica

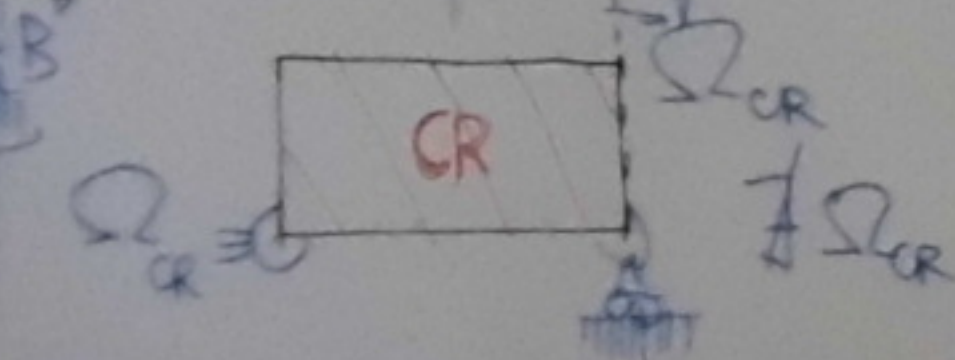


## AC (due deduzioni alternative):

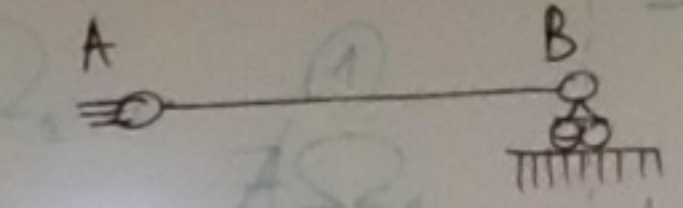
- 1 - Anello chiuso iostatico ABC, con tre cerniere interne non allineate, equiv ad un unico CR



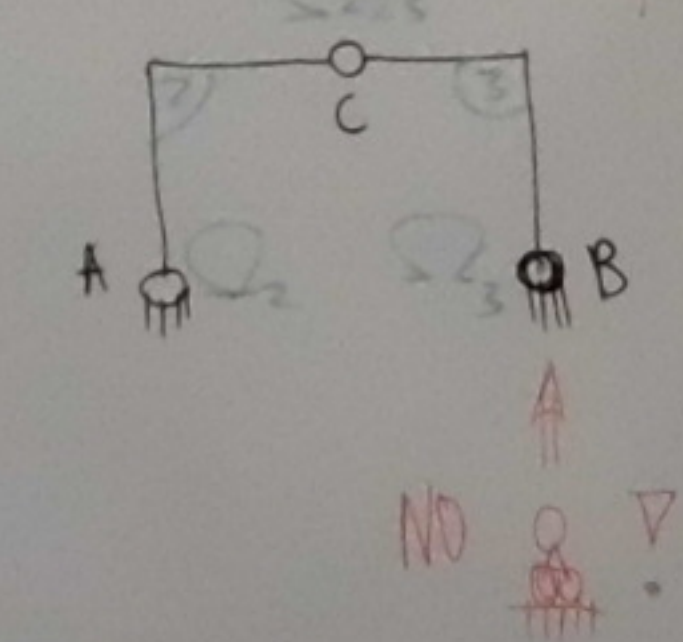
Tale anello chiuso iostatico è posto a terra con schema asta cerniera-carrello (cuneo non passante per la cerniera)



- 2 - Asta cerniera-carrello avente asse non passante per la cerniera

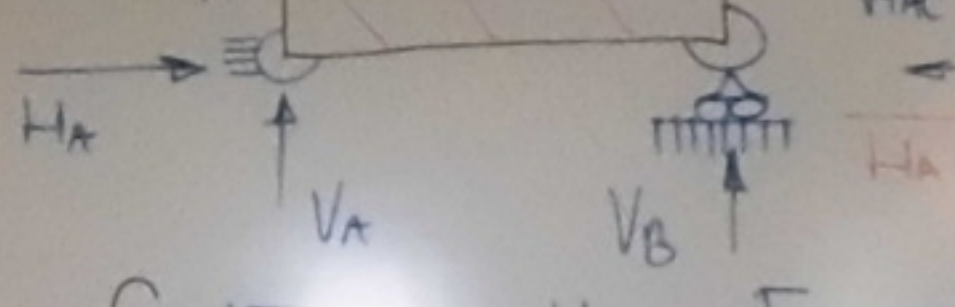


Arco a tre cerniere non allineate

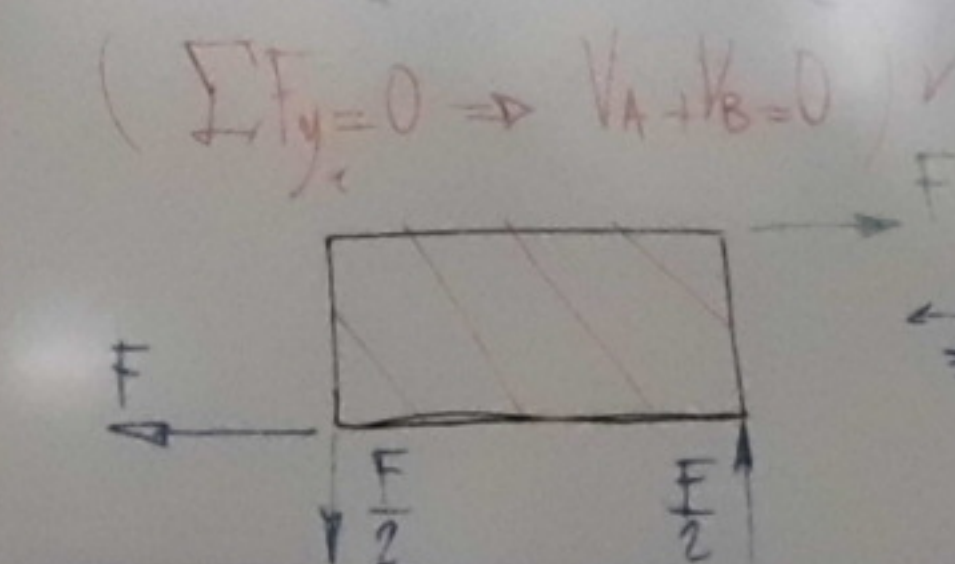


## AS (seconda sequenza inversa)

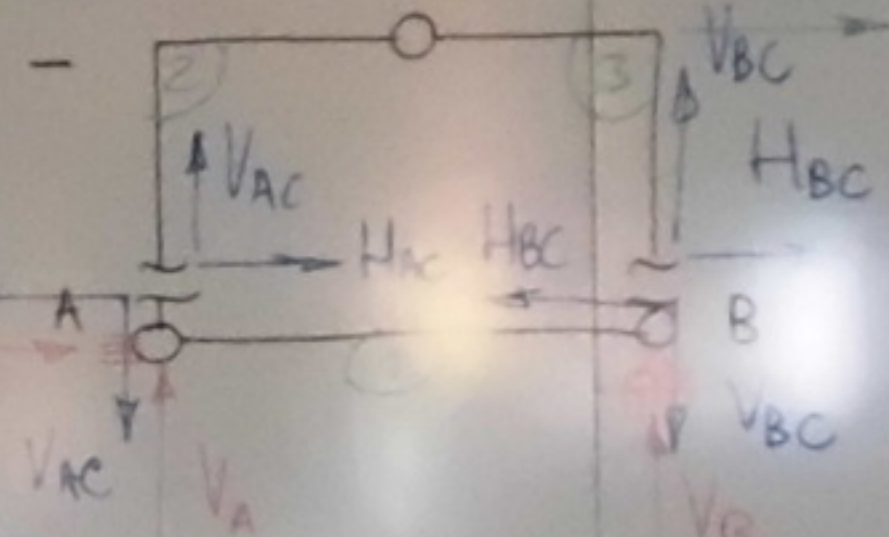
- 1 -



$$\begin{aligned} \sum F_x &= 0 \Rightarrow H_A = -F \\ \sum M_A &= 0 \Rightarrow V_B = \frac{F}{2} \\ \sum M_B &= 0 \Rightarrow V_A = -\frac{F}{2} \end{aligned}$$

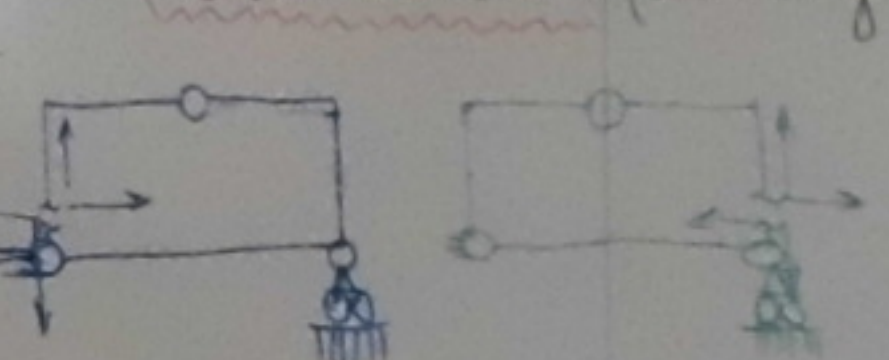


## "apertura dell'anello chiuso" (almeno un punto)



Ciò conduce alla risoluzione di arco a tre cerniere non allineate (ABC)

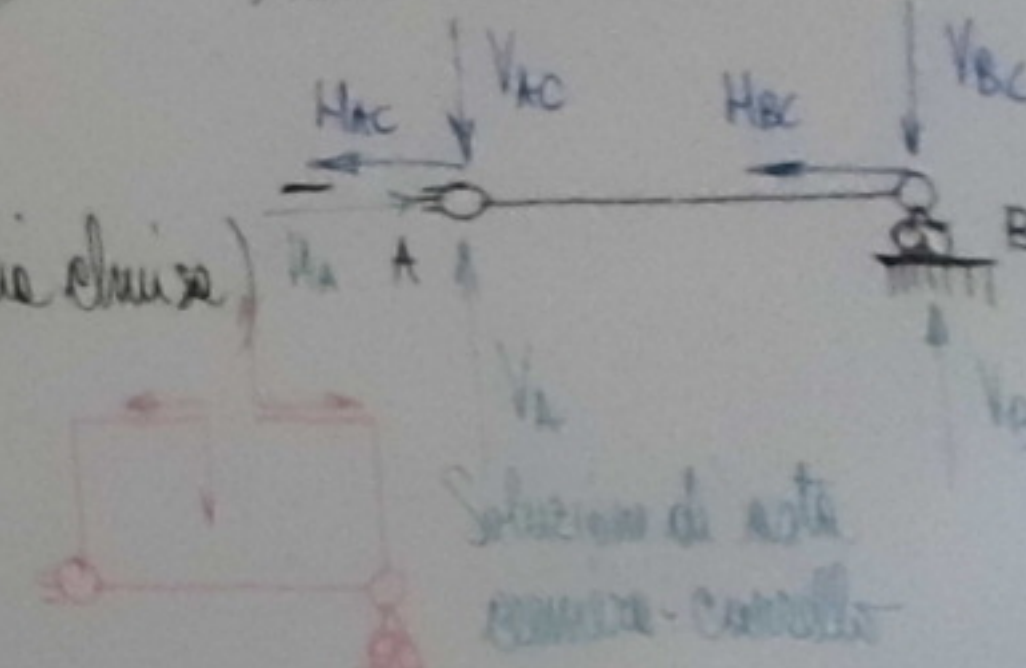
Schemi ad albero (senza maglie chiuse)



- 2 -



Soluzione di arco a tre cerniere non allineate



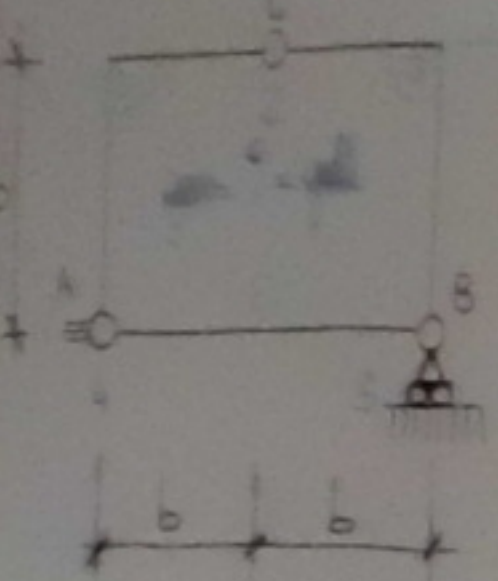
Soluzioni di asta cerniera-carrello



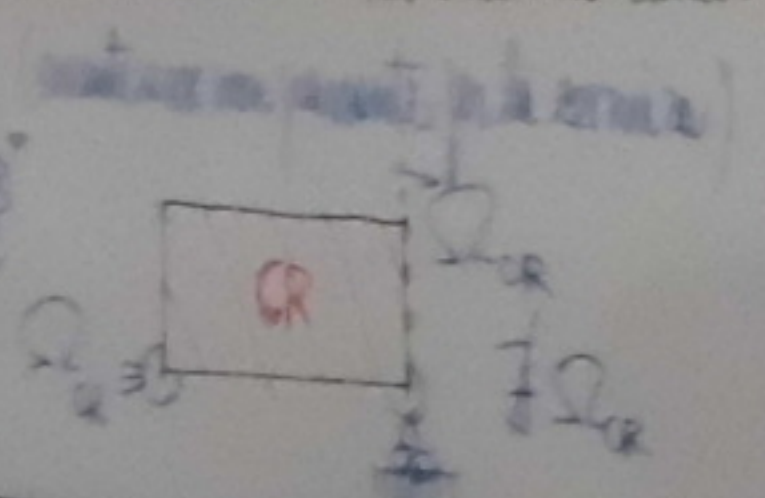
# Calcolo R.V. sistemi articolati

AC (due soluzioni alternative):

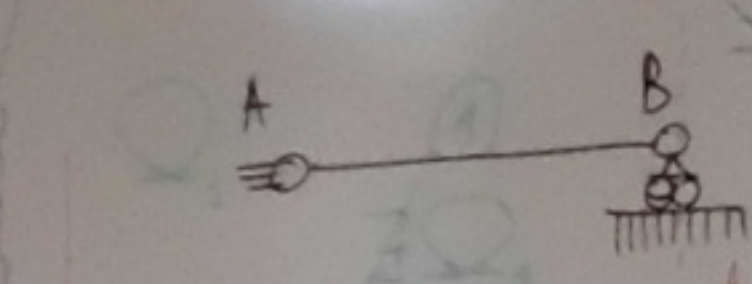
- 1 - Anello chiuso statico ABC, con reazioni interne non allineate, dopo ad un unico CR



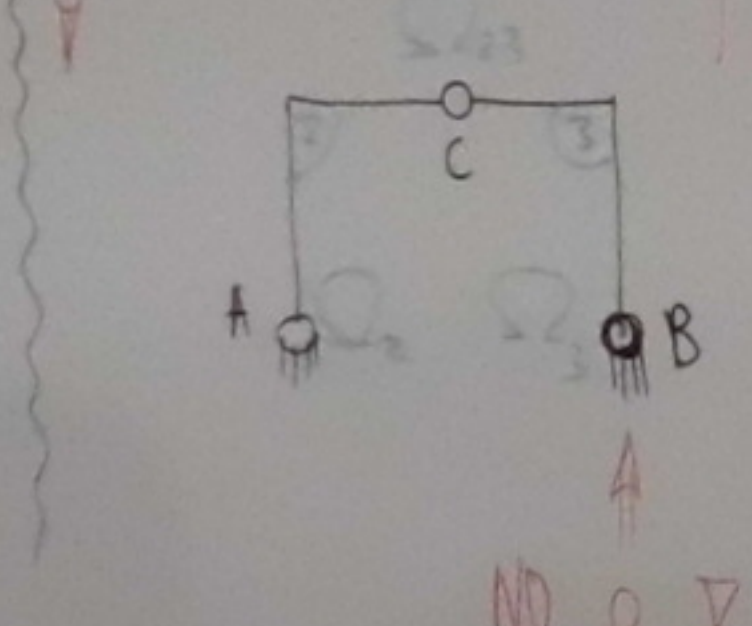
Tale anello chiuso statico è posto a terra con reazioni interne non allineate



- 2 - Asta cerniera-carrello avente reazioni interne per la cerniera



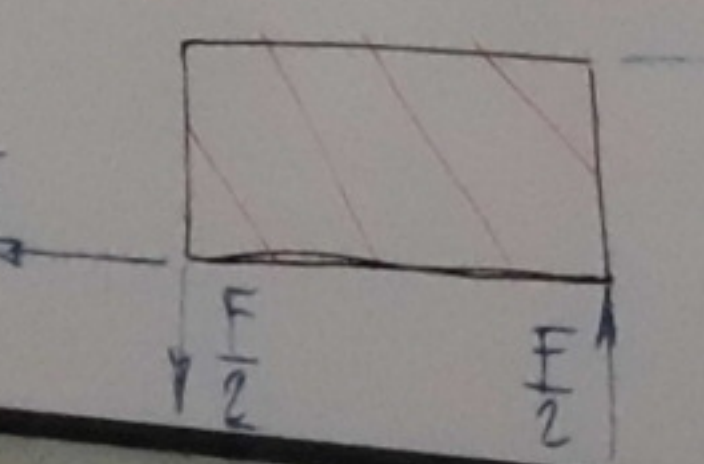
Arco a tre cerniere non allineate



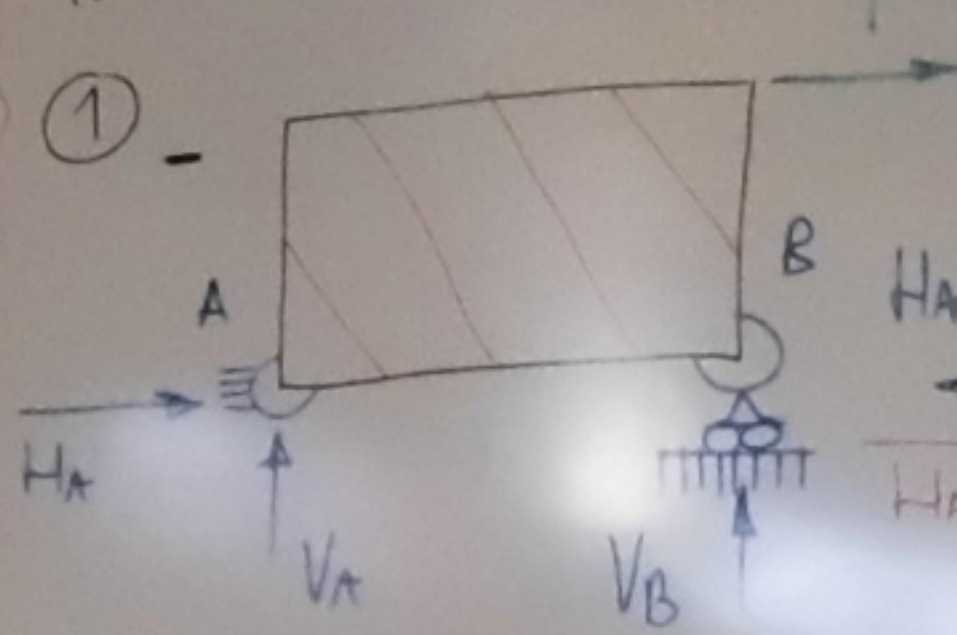
Eq. cardinali della statica (piante)

$$\begin{cases} \sum F_x = 0 \Rightarrow H_A = -F \\ \sum M_A = 0 \Rightarrow V_B = \frac{F}{2} \\ \sum M_B = 0 \Rightarrow V_A = -\frac{F}{2} \end{cases}$$

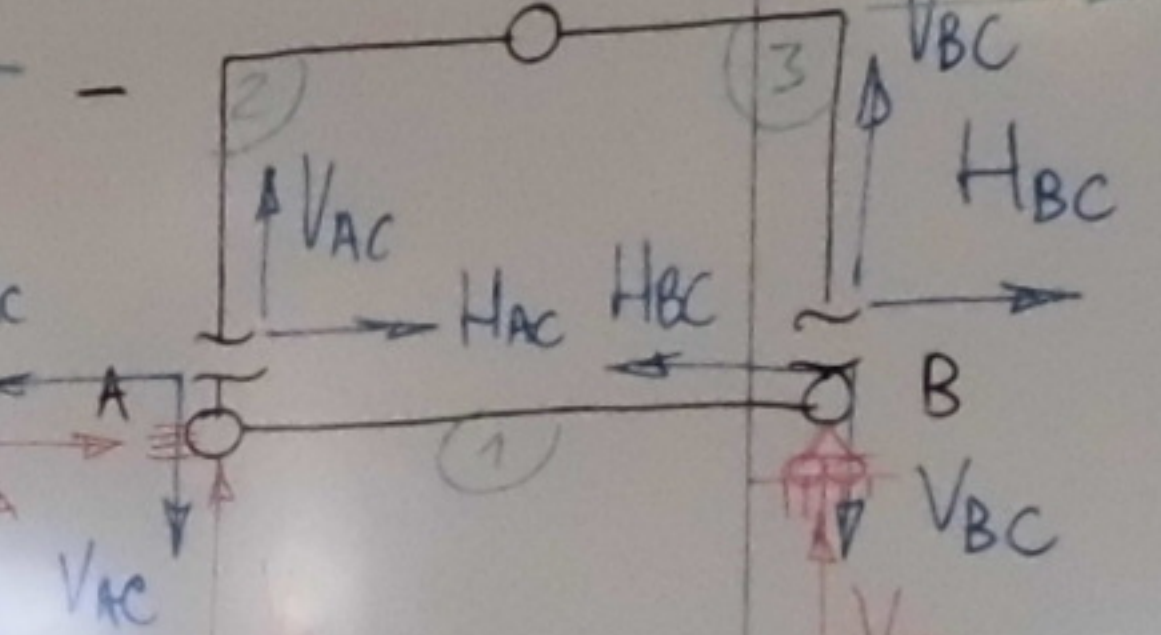
$$(\sum F_y = 0 \Rightarrow V_A + V_B = 0) \checkmark$$



AS (seconda sequenza inversa)

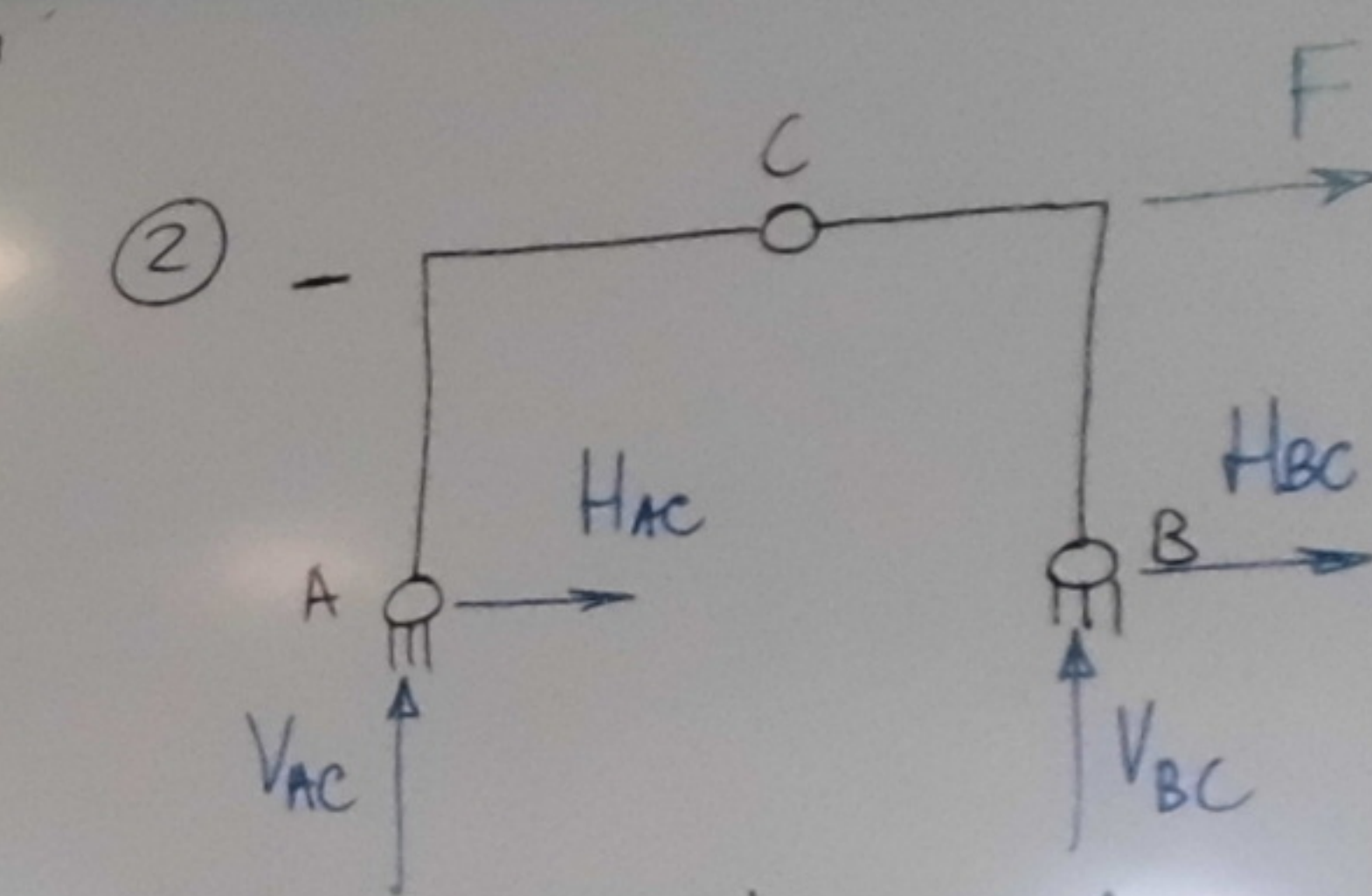
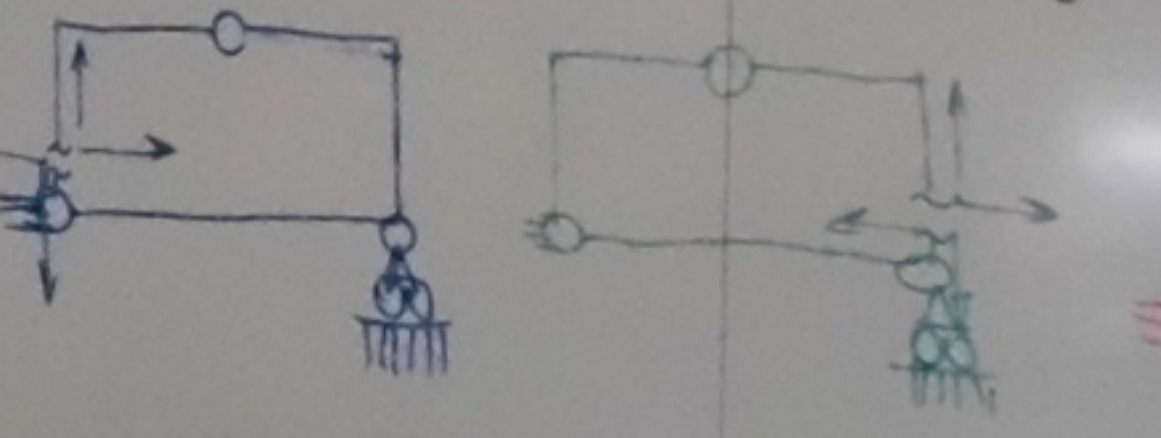


"apertura dell'anello chiuso" (almeno un punto)

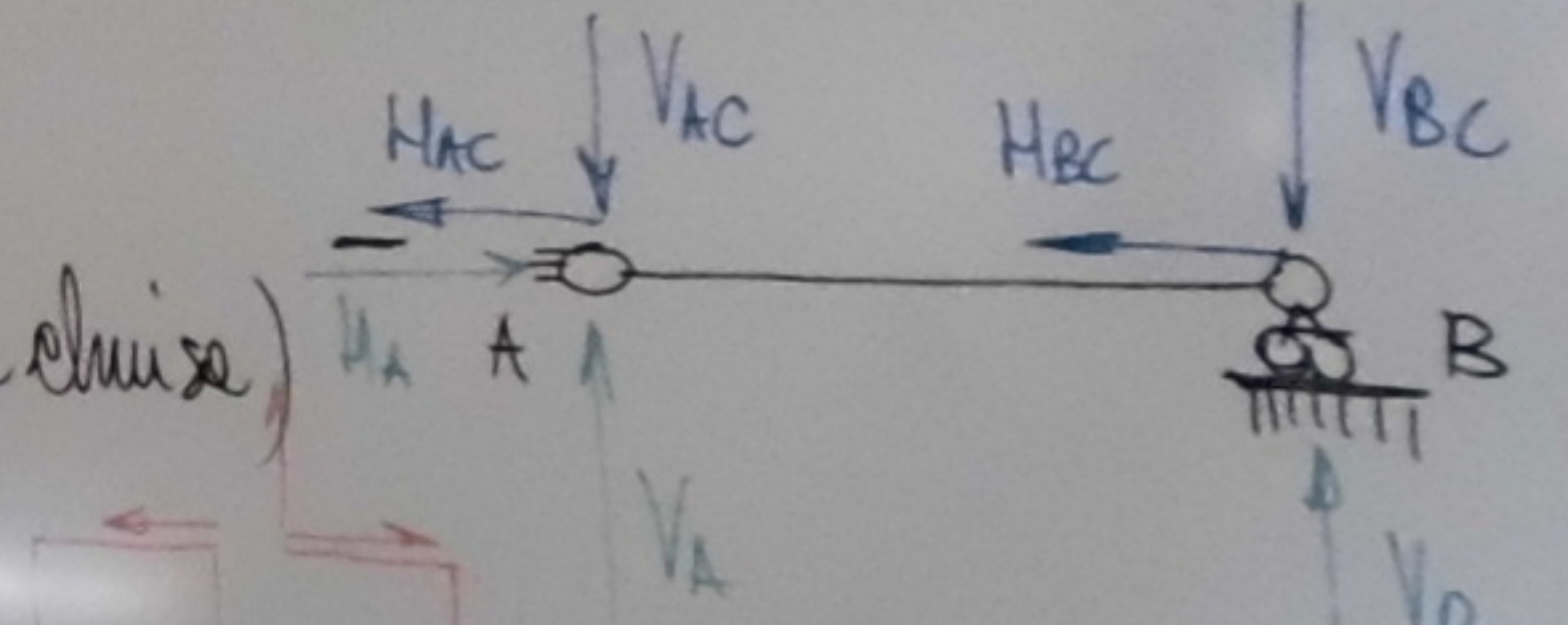


Ciò conduce alla risoluzione di arco a tre cerniere non allineate (ABC)

Schemi ad albero (senza maglie chiuse)



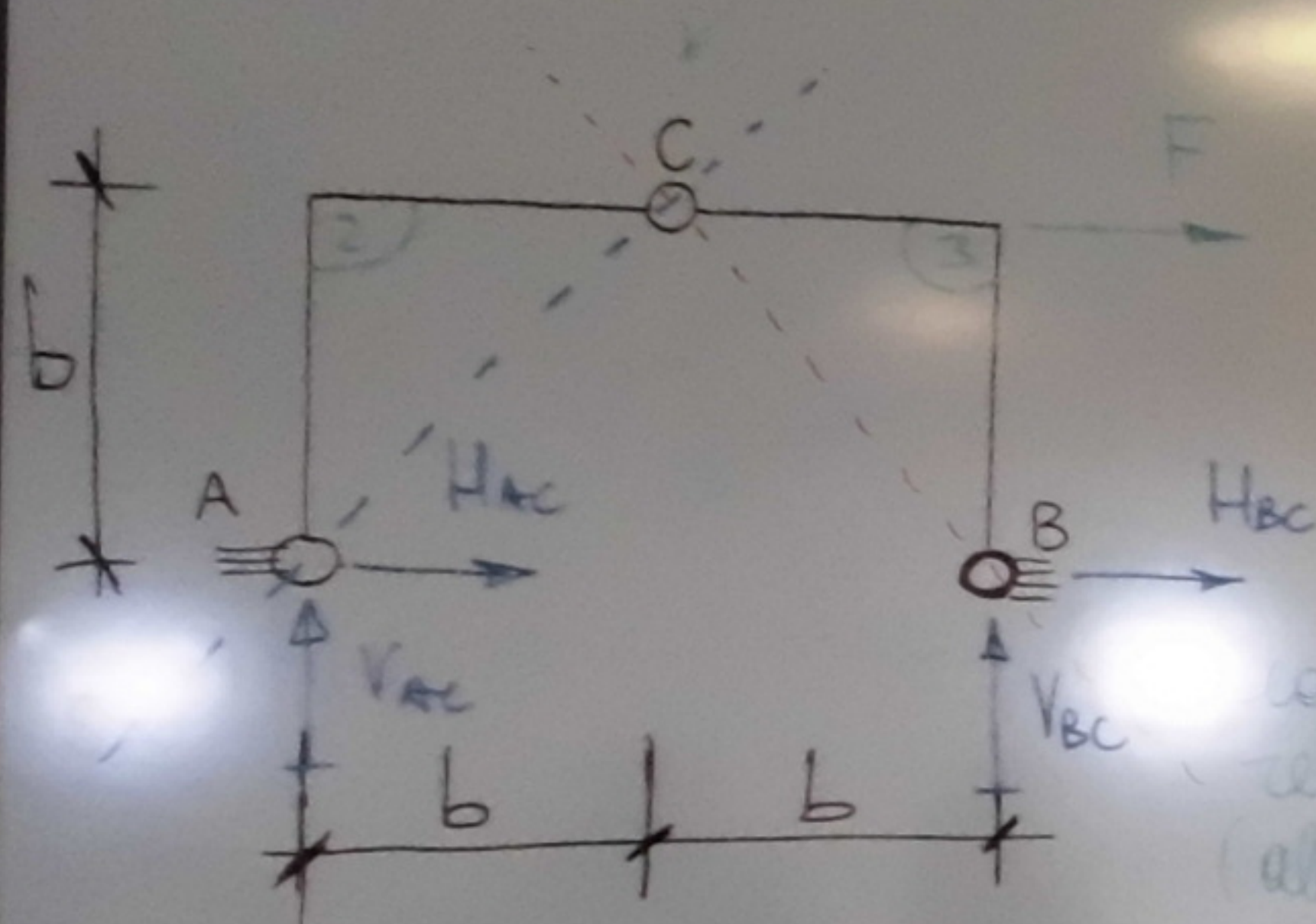
Soluzione di arco a tre cerniere non allineate



Soluzione di asta cerniera-carrello



# Calcolo RV, sistemi articolati



Soluzione di arco a tre  
cerchi non allineate  
(4 comp. mc. di RV)

Eq di equil. (assoluto e relativo)

$$\sum M_{B_i} = 0 \Rightarrow V_{AC} = -\frac{F}{2} \quad (1)$$

$$\sum M_{A_i} = 0 \Rightarrow V_{BC} = \frac{F}{2}$$

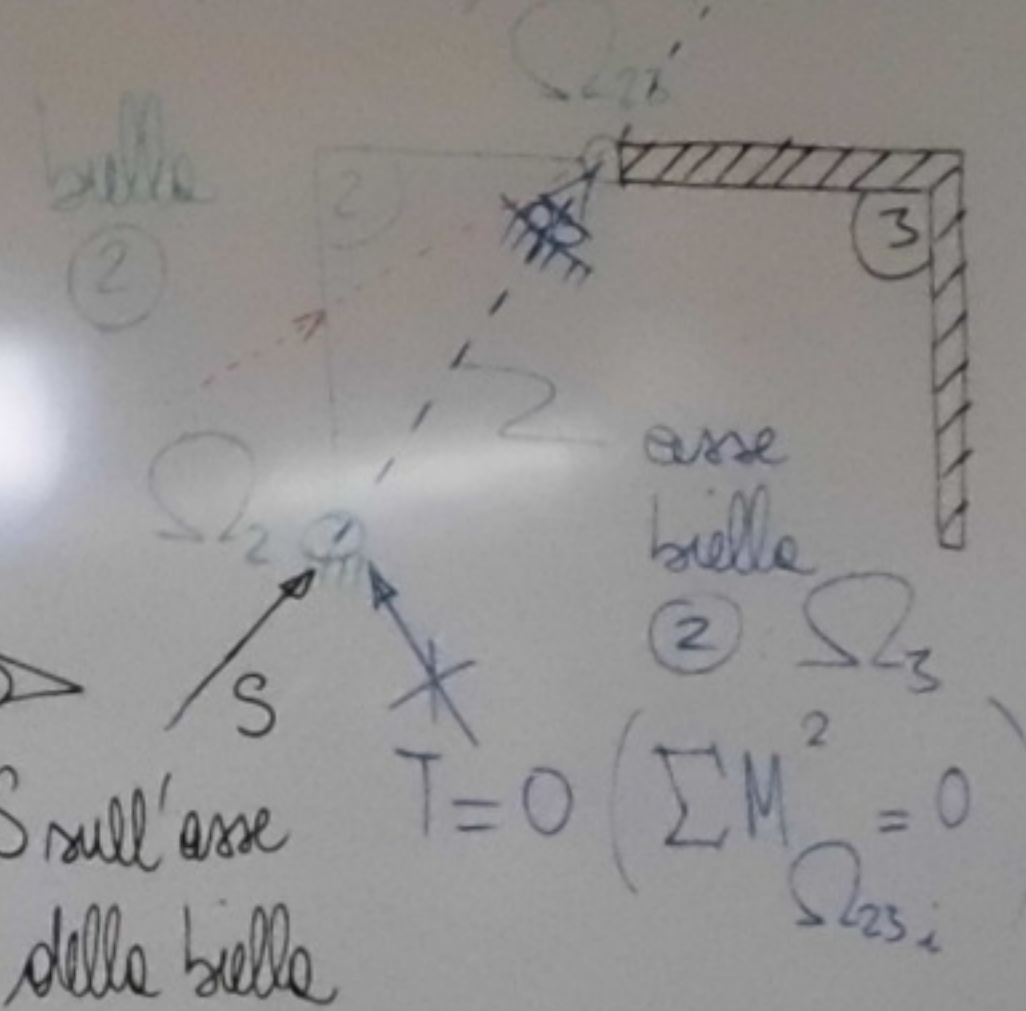
$$\sum F_{y_i} = 0$$

$$\sum M_{C_i} = 0 \Rightarrow H_{AC} = V_{AC} = -\frac{F}{2}$$

$$\sum M_{C_i} = 0 \Rightarrow H_{BC} = -V_{BC} = -\frac{F}{2}$$

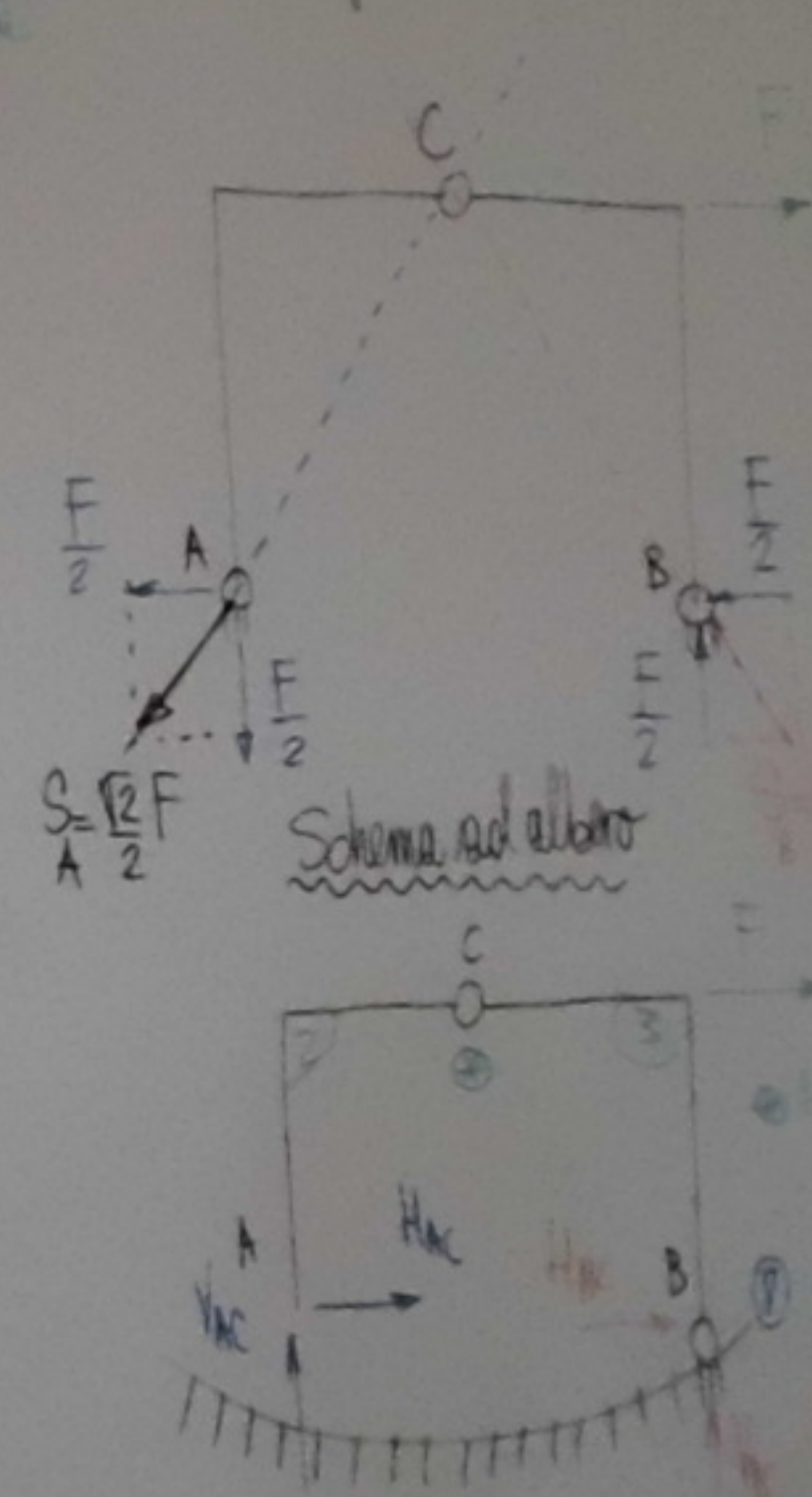
Sistema di 4 eq. in 4 incognite  
(di incognito)

Ruolo statico della biella (asse anche  
appartiene campo di azione) - biella "statica"

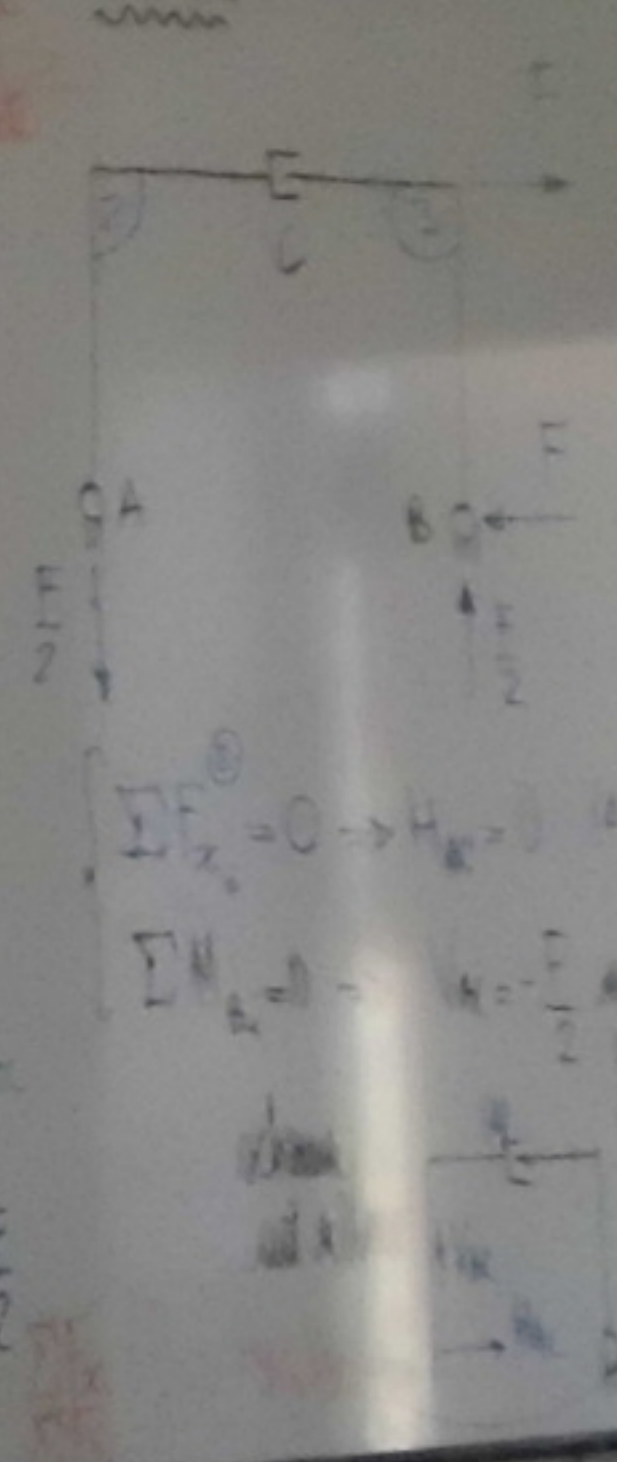


(N.B.: Fortunatamente, per questa condizione di  
carico, anche la biella 3 gioca un ruolo statico  
con S sull'asse della biella)

RV finali

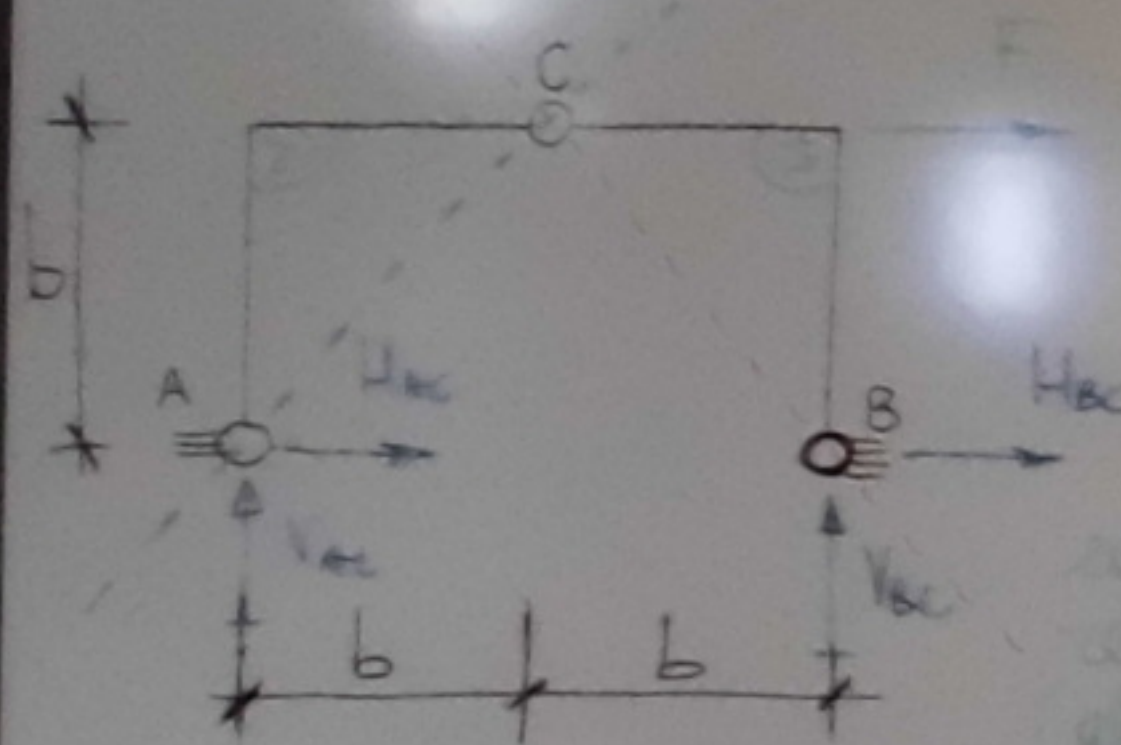


Verifica:





# Calcolo RV sistemi articolati



Soluzione di arco a tre  
cerchi non allineati  
(4 eq. in 4 inc. di RV)

Eq. di equil. (assoluto e relativo)

$$\sum M_{B_i} = 0 \Rightarrow V_{AC} = -\frac{F}{2} \quad (1)$$

$$\sum M_{A_i} = 0 \Rightarrow V_{BC} = \frac{F}{2}$$

$$\sum F_{y_i} = 0 \quad \checkmark$$

$$\sum M_{C_i} = 0 \Rightarrow H_{AC} = V_{AC}$$

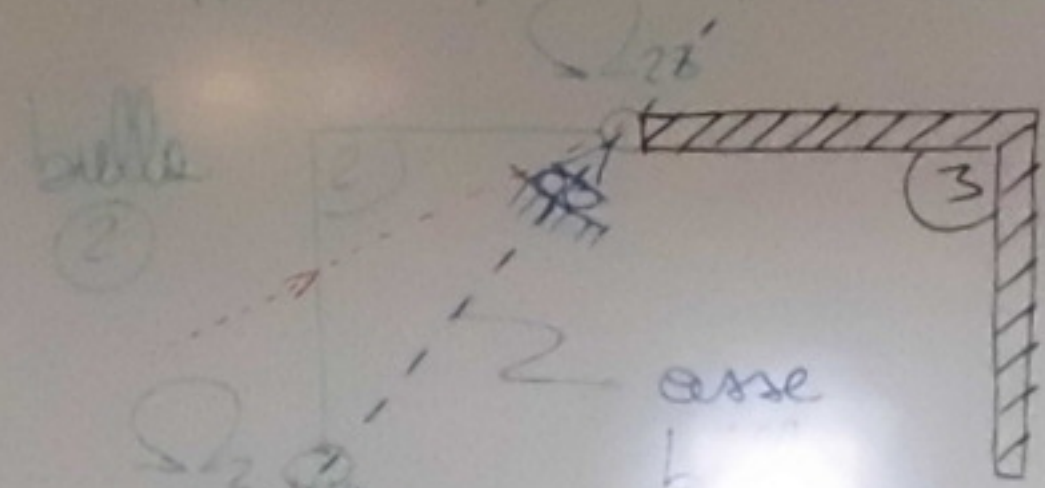
$$= -\frac{F}{2}$$

$$\sum M_{C_i} = 0 \Rightarrow H_{BC} = -V_{BC}$$

$$= -\frac{F}{2}$$

Sistema di 4 eq. in 4 incognite  
(disaccoppiato)

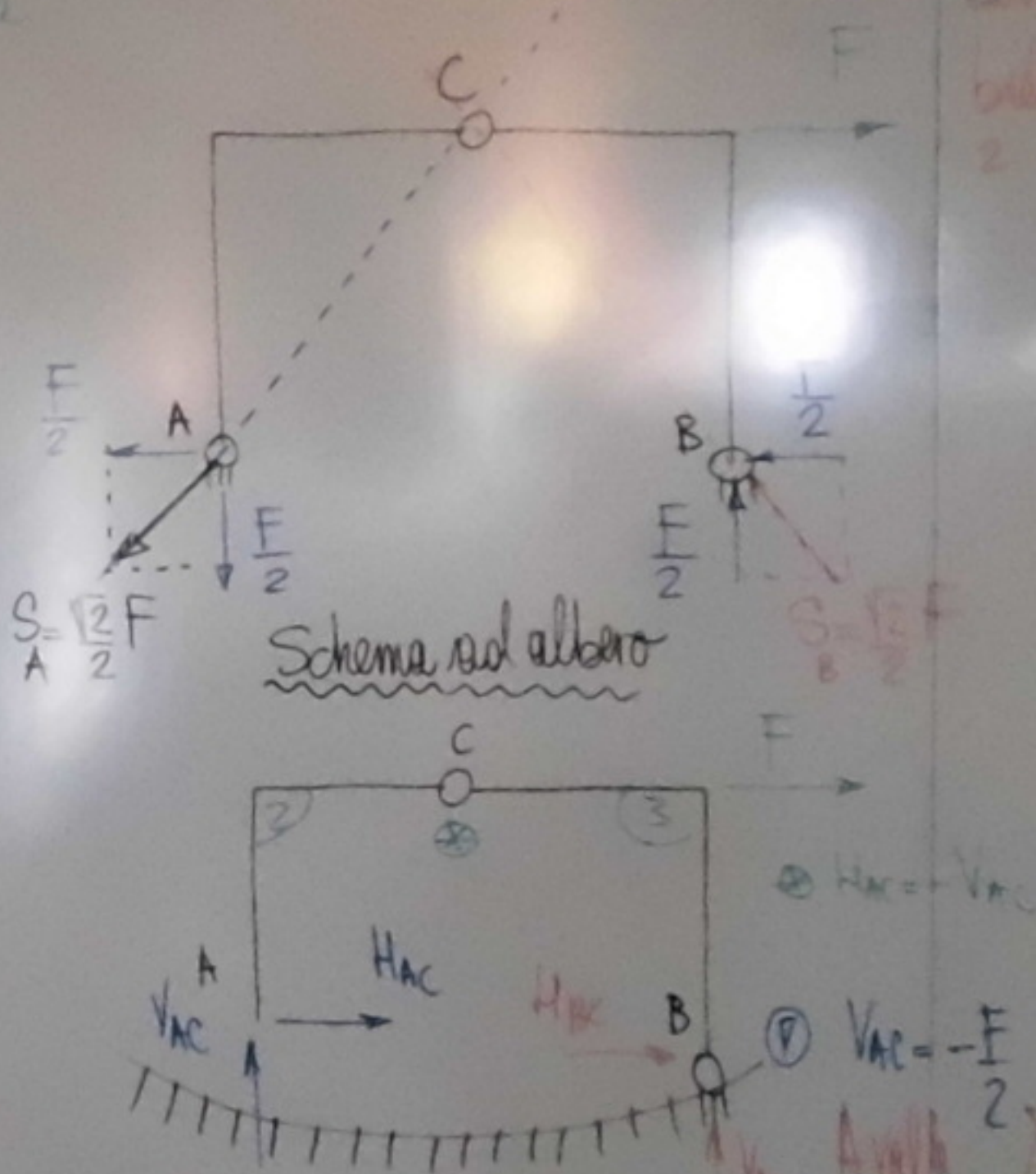
Ruolo statico della biella (senza carichi  
apportati lungo di cui) biella "statica"



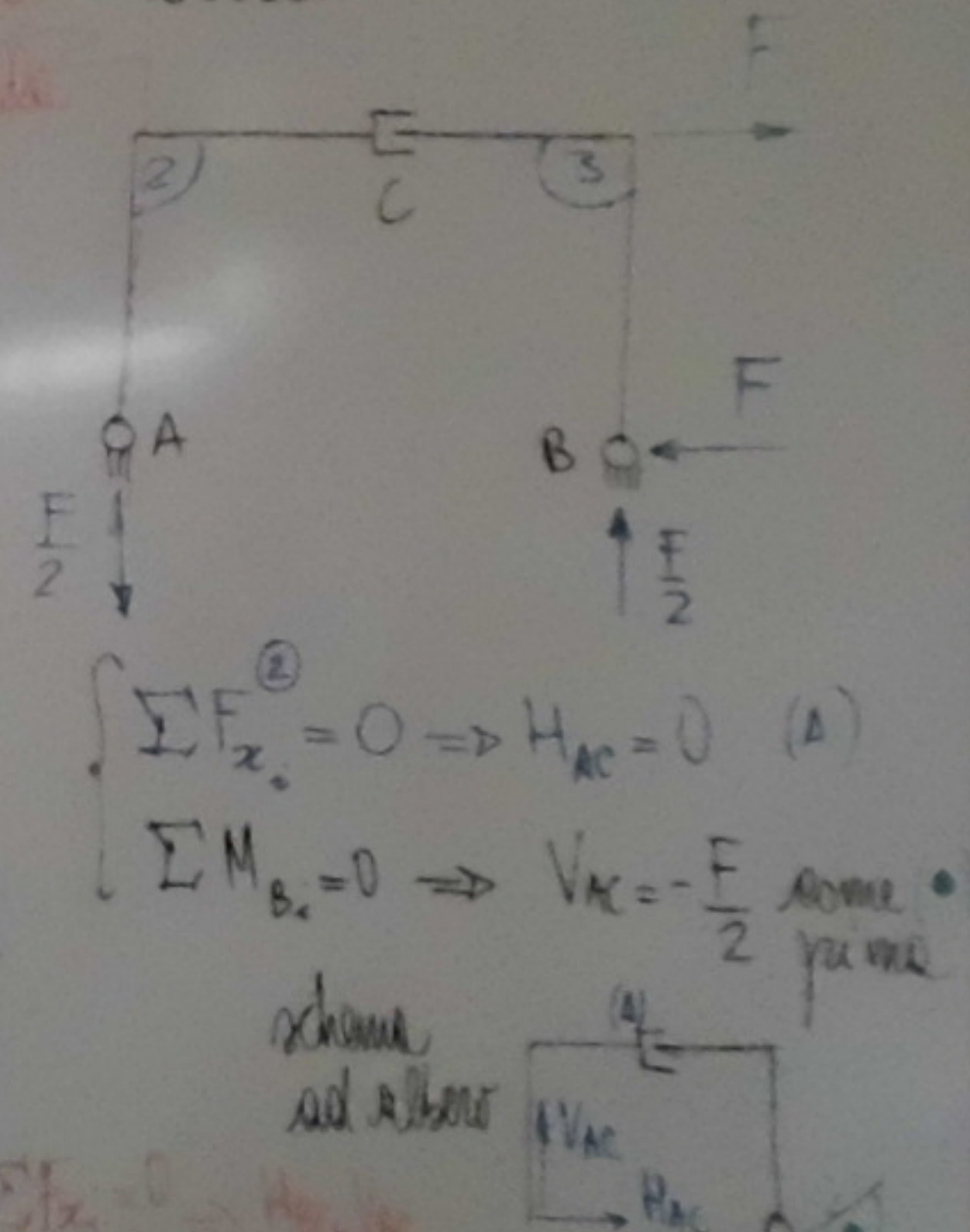
$$T = 0 \quad (\sum M_{23} = 0)$$

(N.B.: Fortunatamente, in questa condizione di  
carico, anche la biella 3 gioca un ruolo statico  
con S sull'asse della biella)

RV finali

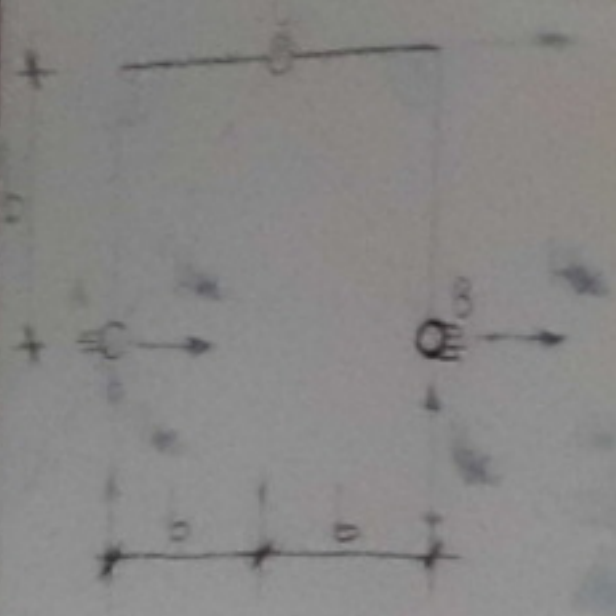


Variante:





Calcolo RLV sistemi articolati



Sistema di forze in tre  
dimensioni

Equazioni di equilibrio

$$\sum F_x = 0 \Rightarrow V_{AC} = -\frac{F}{2}$$

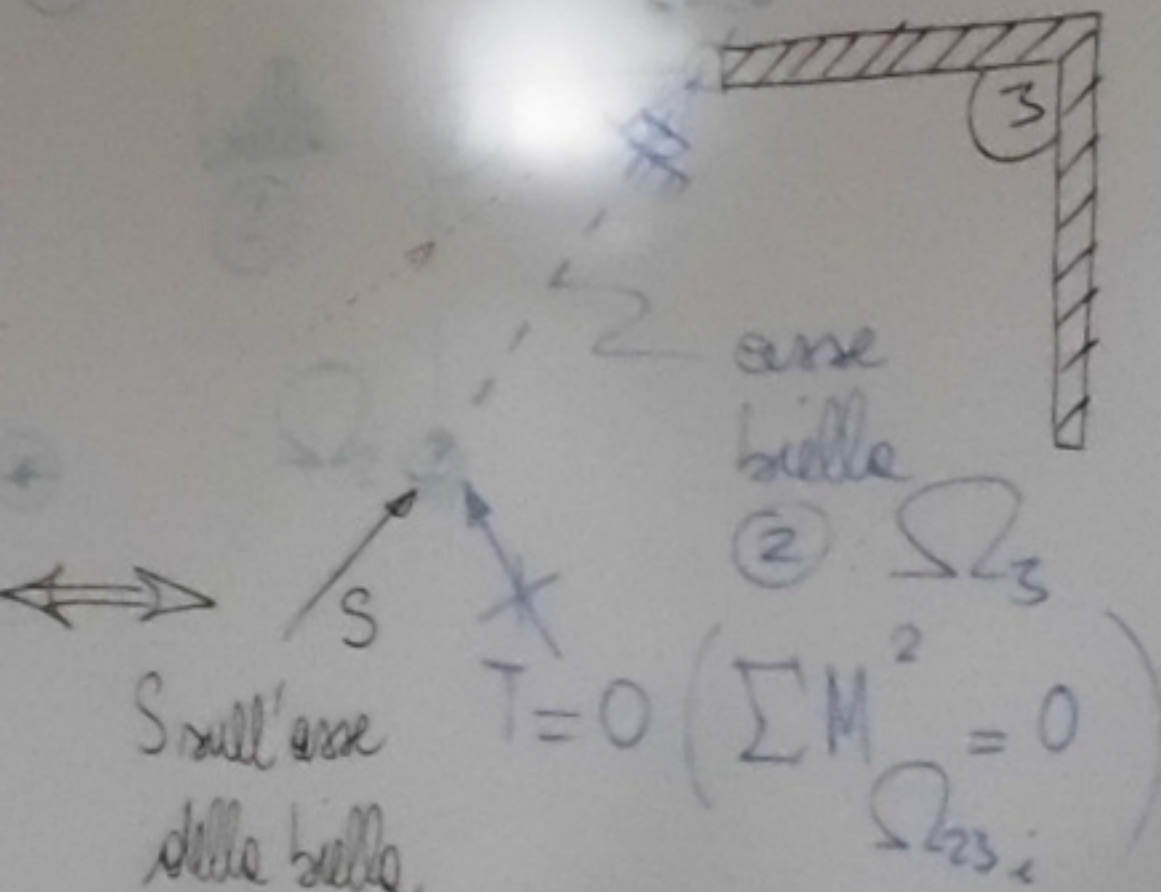
$$\sum F_y = 0 \Rightarrow V_{BC} = \frac{F}{2}$$

$$\sum F_z = 0$$

$$\sum M_{C_i} = 0 \Rightarrow H_{BC} = -V_{BC}$$

Sistema di forze in tre  
dimensioni

Ruolo statico della biella (non ruota  
né si trasla) - biella "statica"

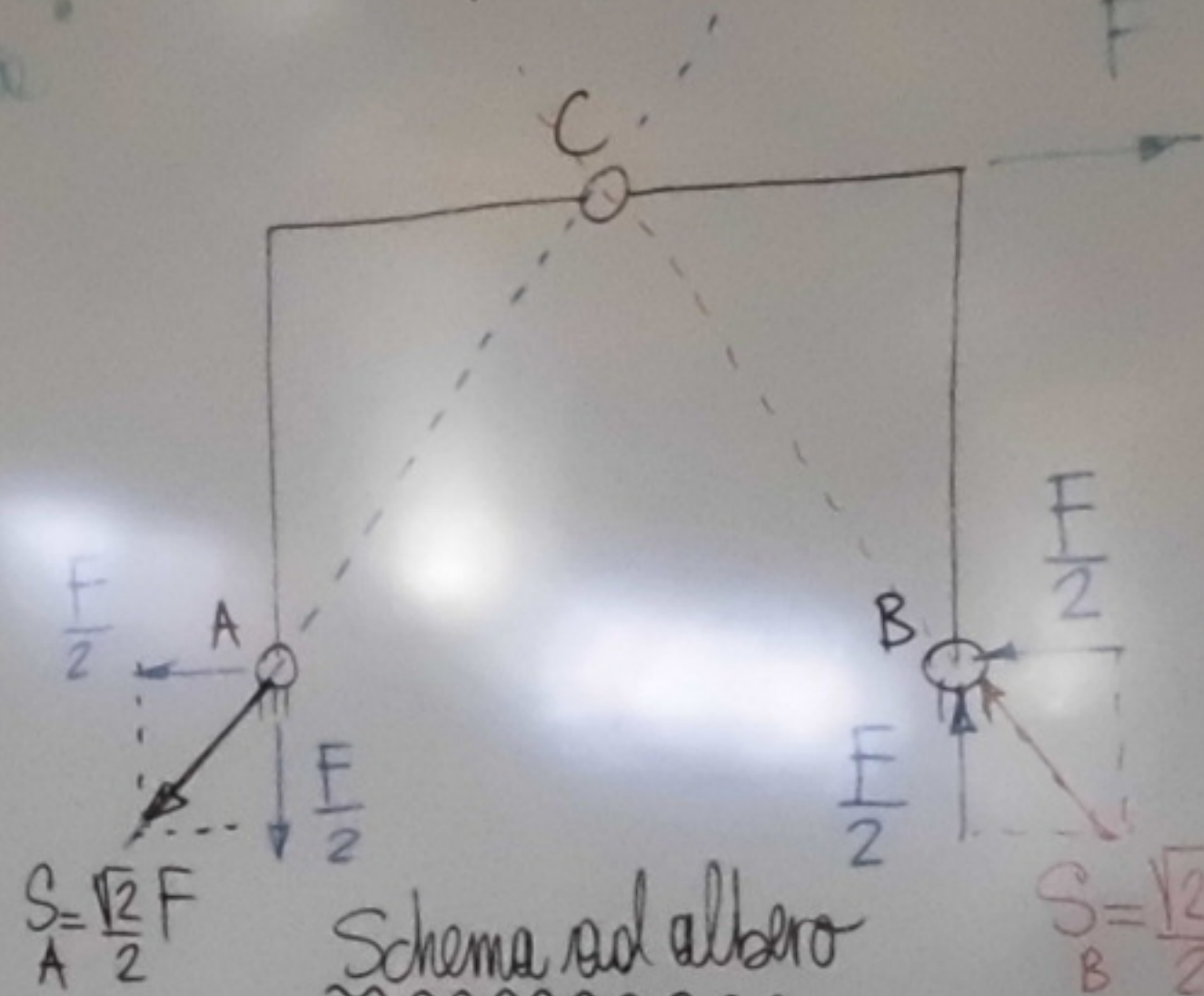


S sull'asse  
della biella

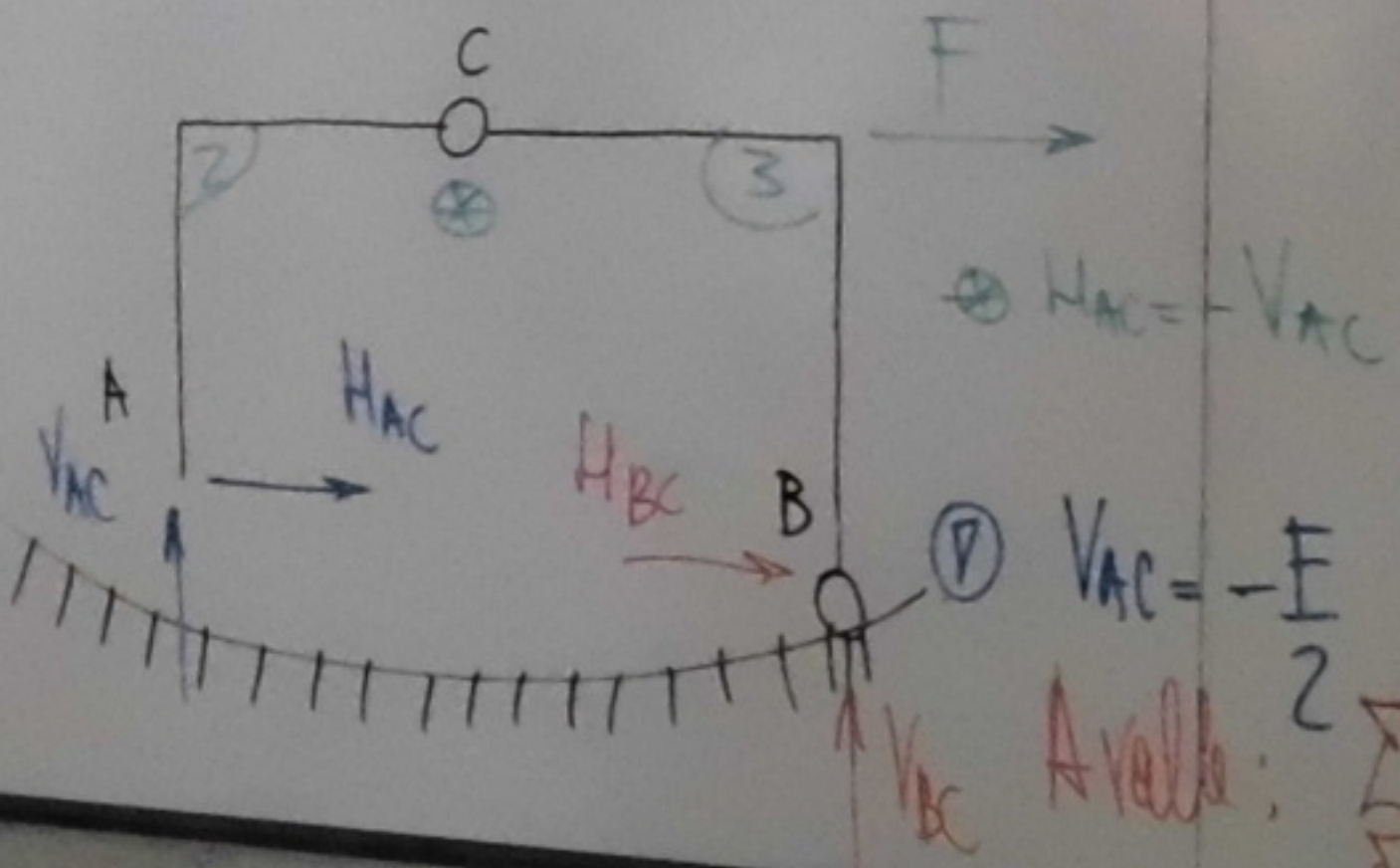
$$T = 0 \quad (\sum M^2 = 0)$$

NB: Fortemente, in questa analisi si  
considera anche la biella 3 gioca un ruolo statico  
con S sull'asse della biella

RV finali

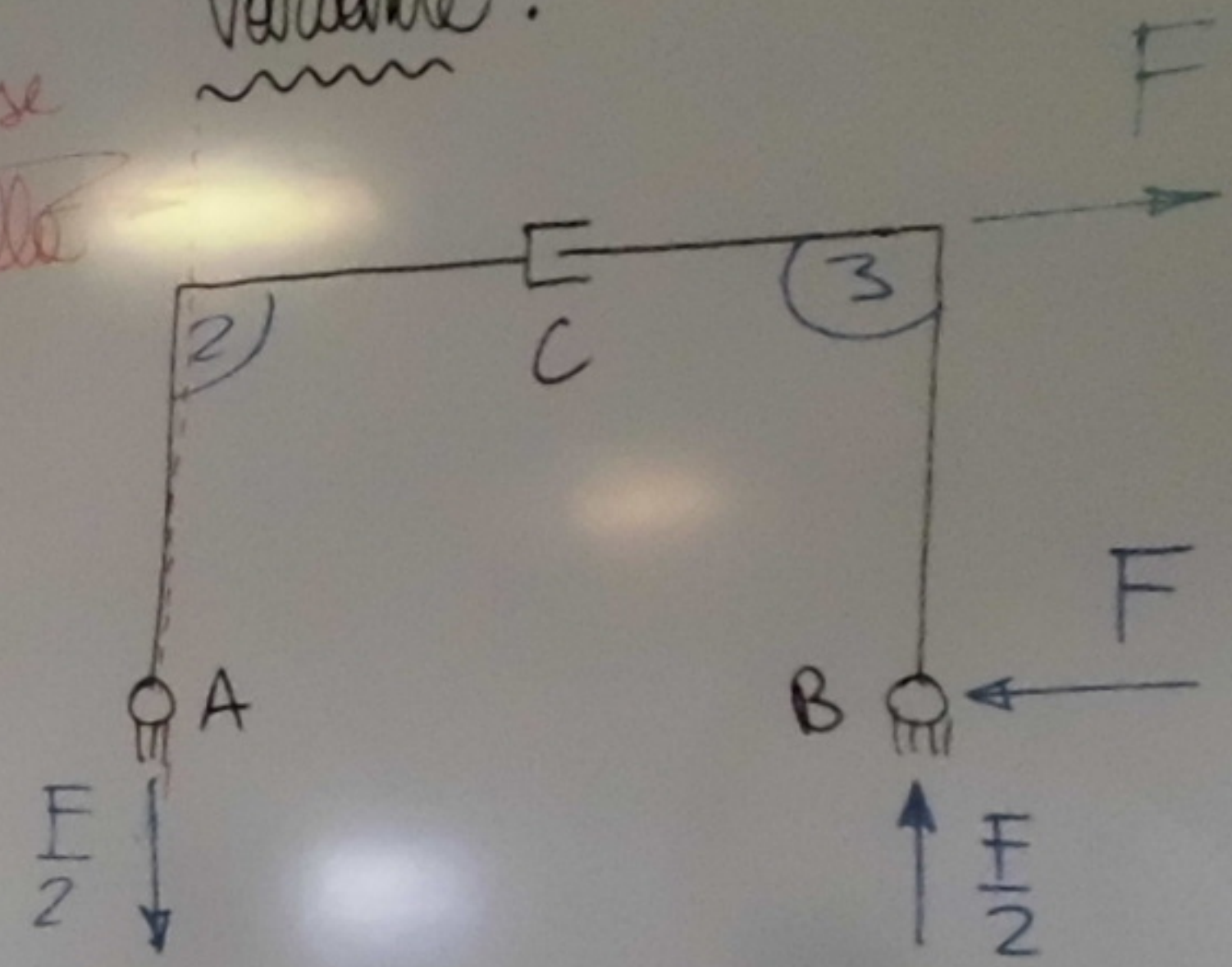


Schema sul albero



Variante:

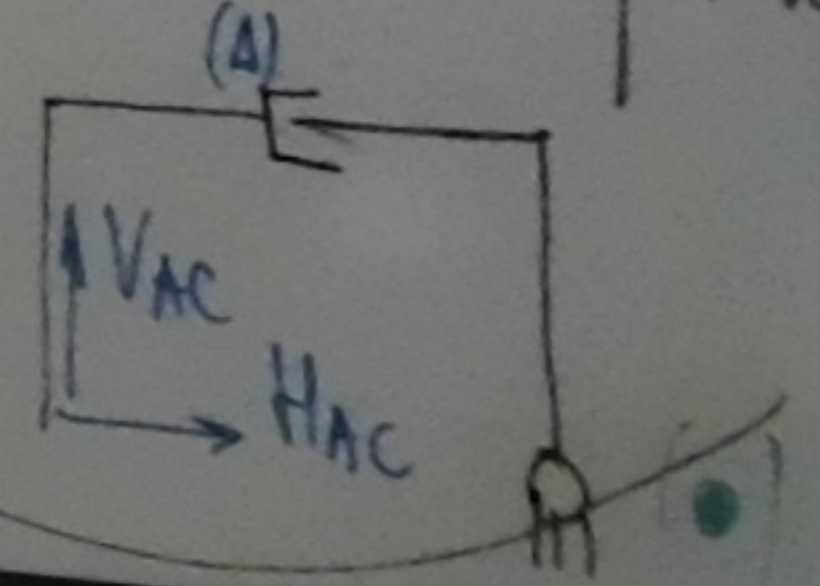
asse  
biella  
2



$$\sum F_{x_i} = 0 \Rightarrow H_{AC} = 0 \quad (\Delta)$$

$$\sum M_{B_i} = 0 \Rightarrow V_{AC} = -\frac{F}{2} \text{ come prima}$$

schema  
sul albero



$$\sum F_{x_i} = 0$$

$$\sum F_{y_i} = 0 \Rightarrow H_{BC}, V_{BC}$$